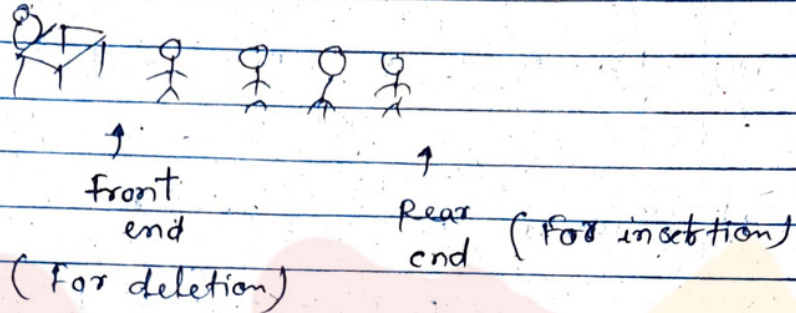


Queues

(It is a logical datastructure and it works on disiclin FIFO (First In First Out))



* Queue ADT -

Data -

- 1) Space for storing elements
- 2) front - for deletion
- 3) Rear - for insertion

Operations -

- 1) enqueue(x) - Inserting an element in queue
- 2) dequeue() - Deleting an element from queue
- 3) isEmpty()
- 4) isFull()
- 5) first()
- 6) Last()

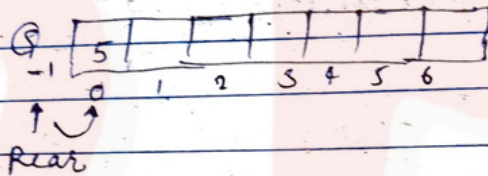
* Queue can be implemented using two physical data structures that are -

- i) Array
- ii) Linked list

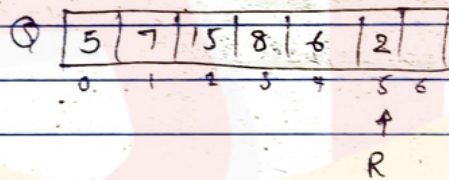
* Implementation of Queue using Array

- i) Queue using - single pointer (index pointer)
- ii) Queue using - front and Rear (Double pointer)
- iii) Drawbacks of Queue using Array.

i) Queue using single pointer -

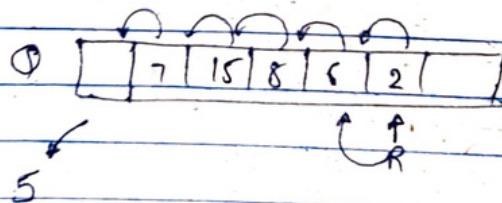


(To insert an element in the queue just move the rear and insert.)



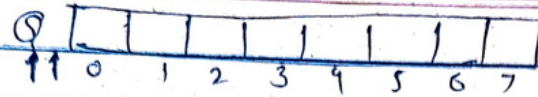
insert - $O(1)$ - time

(For deleting, we can delete only very first element because it follows FIFO.)



delete - $O(n)$

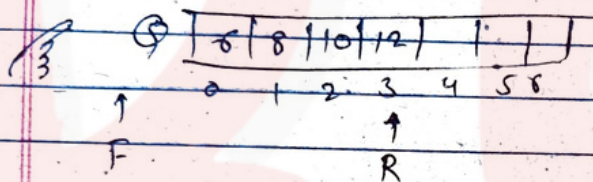
* Queue using two pointer -



This pointer is used for deletion.

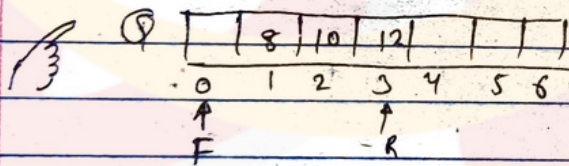
This pointer is used for insertion.

→ initially
Front : Rear = -1



time - $O(1)$

Insert:- Move rear and insert an element.

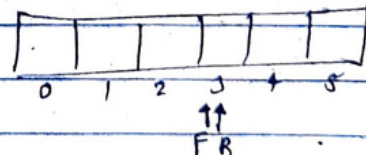


time - $O(1)$

Delete:- Move front to the next location and delete the element.

→ Empty condition

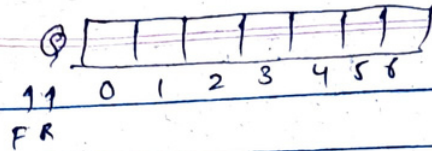
if (Front == Rear)



→ FULL condition

if (Rear == size - 1)

* Implementation



```
struct Queue
{
    int size;
    int front;
    int rear;
    int *q;
};
```

```
int main()
```

```
{
    struct Queue q;
    printf("Enter size");
    scanf("%d", &q.size);
    q.q = (int*) malloc(q.size * sizeof(int));
    q.front = q.rear = -1;
}
```

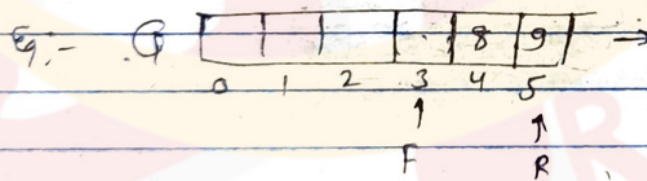
```
void enqueue (Queue *q, int x)
```

```
{
    if (q->rear == q->size - 1)
        printf("Queue is Full");
    else
    {
        q->rear++;
        q->q[q->rear] = x;
    }
}
```

```

void dequeue (Queue *q)
{
    int x = -1;
    if (q->front == q->rear)
        printf ("Queue is empty");
    else
    {
        q->front++;
        x = q->Q[q->front];
    }
    return x;
}
    
```

Drawbacks - We can not reuse those pieces of deleted elements. It means every location can be used only once.



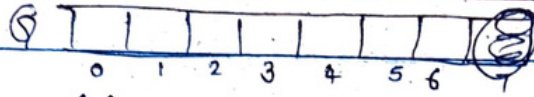
(Here, if we want to insert we can't do so because rear is end is full. full condition)

Solutions of Drawbacks -

- i) Resetting Pointers
- ii) Circular Queue

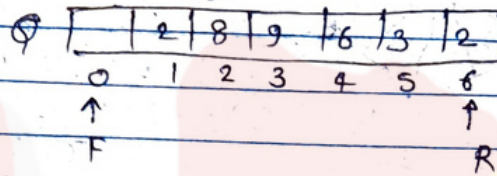
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i) Circular Queue :- (In this case, we will implement circular queue over an array by moving front and rear circularly.)

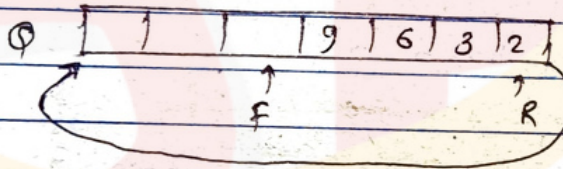
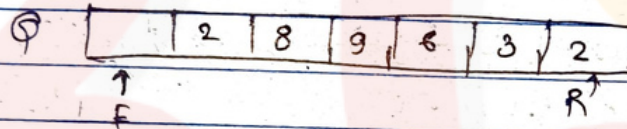


In the circular queue front and rear will start from 0th index

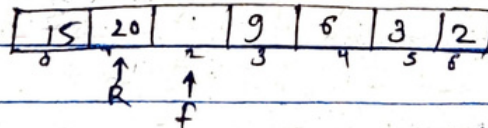
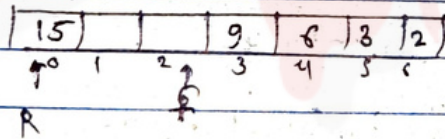
→ Adding elements -



→ Deleting elements -



→ Bring the rear at zero index and insert the element in normal fashion -



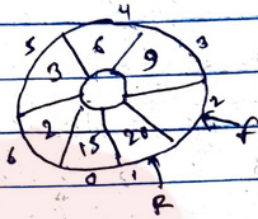
So, by using it we cannot use all seven places. (only six element from store)

(After it we can't add element because if we do it then front and rear are at same will both be in one place and a/c to previous it is the condition of empty state.) Due to this reason we can't use the that is rear place wherever the front is placed

If we delete element using front then front also moves like rear.

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* Representation of circular queue



* To obtaining circular value, we use modulo operation

Rear	next Rear position
0	$(0+1) \% 7 = 1$
1	$(1+1) \% 7 = 2$
2	$(2+1) \% 7 = 3$
3	$(3+1) \% 7 = 4$
4	$(4+1) \% 7 = 5$
5	$(5+1) \% 7 = 6$
6	$(6+1) \% 7 = 0$
0	→ Same as above

→ By using $[(rear+1) \% size]$ statement we can move rear as well as front in circular way.

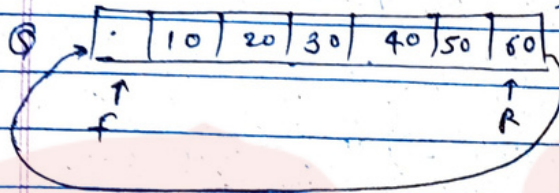
$$Rear = (Rear + 1) \% 7$$

$$front = (front + 1) \% 7$$

Full condition in circular queue



When the next place of rear is front then the queue is full.



$$\text{if } (q \rightarrow \text{rear} + 1) \% q \rightarrow \text{size}$$

$$\text{if } (\text{rear} + 1) \% \text{size} == \text{front}$$

Empty condition

same as previous -

$$\text{if } (\text{front} == \text{rear})$$

```

→ int dequeue(struct queue *q) (Deleting operation in circular queue)
{
    int x = -1;
    if (q->front == q->rear)
        printf("Queue is empty");
    else
    {
        q->front = (q->front + 1) % q->size;
        x = q->a[q->front];
    }
    return x;
}

```

time $O(1)$

Being Pro

→ Insertion operation in circular queue

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```
void enqueue (struct Queue *q, int x)
{
    if (q->Rear + 1 == q->size || q->front == q->Rear)
        printf ("Queue is full");
    else
    {
        q->Rear = (q->Rear + 1) % q->size;
        q->Q[q->Rear] = x;
    }
}
```

Time: 0.11

* Implementation of queue using linked list

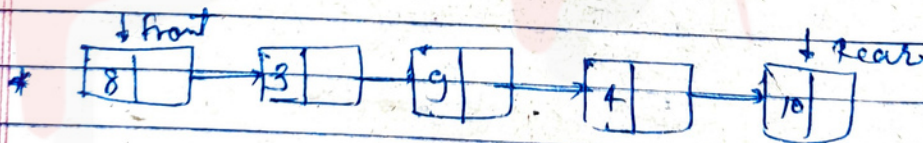
→ Empty

if (front == NULL)

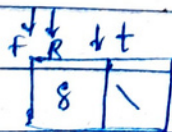
→ Full (When heap is full)

Node *t = New node;

if (t == NULL);



* When only a very first node created in linked list then front and rear both should be are placed on first node.



* Insertion -

```

void enqueue(int x)
{
    Node *t = new node;
    if (t == NULL)
        printf("Queue is Full");
    else
    {
        t->data = x;
        t->next = NULL;
        if (front == NULL)
            front = rear = t;
        else
        {
            rear->next = t;
            rear = t;
        }
    }
}

```

(When very first node create)
When there is no any node in linked list then it will work.

When already there is some node in linked list then it will work.

* Deletion -

```

void dequeue()
{
    int x = -1;
    Node *p;
    if (front == NULL)
        printf("Queue is Empty");
    else
    {
        p = front;
        front = front->next;
        x = p->data;
        free(p);
    }
    return x;
}

```

* DE Queue (Double Ended queue) → Not follow FIFO
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In this queue we can use front and rear both pointers for both operation, insertion as well as deletion.

→ Normal Queue

	insert	delete
front	X	✓
rear	✓	X

→ DE Queue

	insert	delete
front	✓	✓
rear	✓	✓

* Variation of DE Queue =

i) input restricted DE queue =

	insert	delete
front	X	✓
rear	✓	✓

ii) Output restricted DE queue =

	insert	delete
front	✓	✓
rear	✓	X